COURSE OUTLINE

GENERAL

ACADEMIC UNIT Department of Mathematics LEVEL OF STUDIES Undrergraduate COURSE CODE 711 SEMESTER 7th COURSE TITLE Functional Analysis I VEEKLY CREDITS if credits are awarded for separate components of the course, e.g. lectures, laboratory exercises, etc. If the credits are awarded for the whole of the course, give the weekly teaching hours and the total credits WEEKLY CREDITS Add rows if necessary. The organisation of teaching and the teaching methods used are described in detail at (d). 3 6 COURSE TYPE Specialized general knowledge and special background, special background, specialised general knowledge, skills development None (from the typical point of view). In order to be able to follow this course, the knowledge from the following courses is required. Infinetisimal Calculus I Infinetisimal Calculus I Infinetisimal Calculus I Introduction to Topology Introduction to Topology	SCHOOL	School of Science					
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Introduction to Topology							
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and EXAMINATIONS:		Greek					
IS THE COURSE OFFERED TO Yes (exams in English are provided for foreign students)		Yes (exams in English are provided for foreign students)					
ERASMUS STUDENTS		res (exams in English are provided for foreign students)					
COURSE WEBSITE (URL)							

LEARNING OUTCOMES

Learning outcomes

The course learning outcomes, specific knowledge, skills and competences of an appropriate level, which the students will acquire with the successful completion of the course are described.

Consult Appendix A

- Description of the level of learning outcomes for each qualifications cycle, according to the Qualifications Framework of the European Higher Education Area
- Descriptors for Levels 6, 7 & 8 of the European Qualifications Framework for Lifelong Learning and Appendix B
- Guidelines for writing Learning Outcomes

The goal of this course is:

To familiarize the student with the notions the theorems and the techniques concerning Banach spaces, bounded linear operators between them, dual spaces and especially Hilbert spaces.

After completing this course the student will be able to recognize if a given normed linear space is a Banach space, to compute the norm of a bounded linear operator, will be able to use the basic theorems of Functional analysis (Hahn-Banach theorem and its consequences, Open mapping theorem, Uniform Boundedness Principle), and will get the basic theorems and techniques concerning Hilbert spaces (e.g. existence of orthonormal bases, Gram-Schmidt orthogonalization procedure, isometry of every Hilbert space with its dual).

General Competences

Taking into consideration the general competences that the degree-holder must acquire (as these appear in the Diploma Supplement and appear below), at which of the following does the course aim?

Search for, analysis and synthesis of data	Project plann
and information, with the use of the	Respect for di
necessary technology	Respect for th
Adapting to new situations	Showing socio
Decision-making	responsibility
Working independently	Criticism and
Team work	Production of
Working in an international environment	thinking
Working in an interdisciplinary	Others
environment	
Production of new research ideas	

roject planning and management espect for difference and multiculturalism espect for the natural environment howing social, professional and ethical esponsibility and sensitivity to gender issues riticism and self-criticism roduction of free, creative and inductive hinking others

This course aims to provide the student with the theoretical background and the fluency of using the basic theorems and techniques of Functional Analysis. Promotes the analytical and synthetic thinking that the student will be able to apply the knowledge acquired in a broader scope including the whole range of mathematical analysis.

SYLLABUS

Linear spaces and algebraic bases (Hamel bases), linear operators. Normed spaces, Banach spaces, classical examples. Bounded linear operators, dual spaces, conjugate operators. Hahn Banach theorem and its consequences. Reflexive spaces. Inner product spaces, Hilbert spaces, orthonormal systems, every Hilbert space is isometric with its dual. Baire's category theorem and some of its consequences in Functional Analysis (Open Mapping Theorem, Closed graph Theorem, Uniform Boundedness Principle, Banach Steinhauss Theorem).

TEACHING and LEARNING METHODS - EVALUATION

DELIVERY	Teaching on the blackboard from the teacher.		
Face-to-face, Distance learning,	_		
etc.			
USE OF INFORMATION AND	Communication with the teacher by electronic means		
COMMUNICATIONS	(i.e. e-mail).		
TECHNOLOGY			
Use of ICT in teaching, laboratory			
education, communication with			
students			
TEACHING METHODS	Activity	Semester workload	
The manner and methods of	Lectures	39 hours	
teaching are described in detail.	Study of theory and	41 hours	
Lectures, seminars, laboratory	solving exercises		
practice, fieldwork, study and			
analysis of bibliography, tutorials,			
placements, clinical practice, art			
workshop, interactive teaching,			
educational visits, project, essay			
writing, artistic creativity, etc.			
The student's study hours for each	Course total	80 hours	
learning activity are given as well			
as the hours of non-directed study			
according to the principles of the ECTS			
STUDENT PERFORMANCE			
EVALUATION	Exams in the end of th	ne semester (mandatory)	
Description of the evaluation	Exams in the end of the semester (mandatory), intermediate exams (optional), assignments of		
procedure	exercises during the semester (optional).		
procedure	excluses during the semest		
Language of evaluation, methods			
of evaluation, summative or			
conclusive, multiple choice			
questionnaires, short-answer			
questions, open-ended questions,			
problem solving, written work,			
essay/report, oral examination,			
public presentation, laboratory			
work, clinical examination of			
patient, art interpretation, other			
Specifically-defined evaluation			
criteria are given, and if and			
where they are accessible to			
students.			

ATTACHED BIBLIOGRAPHY

- Suggested bibliography:

Γενική Τοπολογία και Συναρτησιακή Ανάλυση, Σ. Νεγρεπόντης, Θ. Ζαχαριάδης, Ν. Καλαμίδας, Β. Φαρμάκη, Εκδόσεις Συμμετρία, (κωδικός στο σύστημα Εύδοξος: 45321).

Στοιχεία Συναρτησιακής Ανάλυσης, Χ. Καρυοφύλλης, Εκδόσεις Ζήτη (κωδικός στο σύστημα Εύδοξος: 11278).

Συναρτησιακή Ανάλυση, Haim Brezis, Εκδόσεις Ε.Μ.Π. (κωδικός στο σύστημα Εύδοξος: 20956).